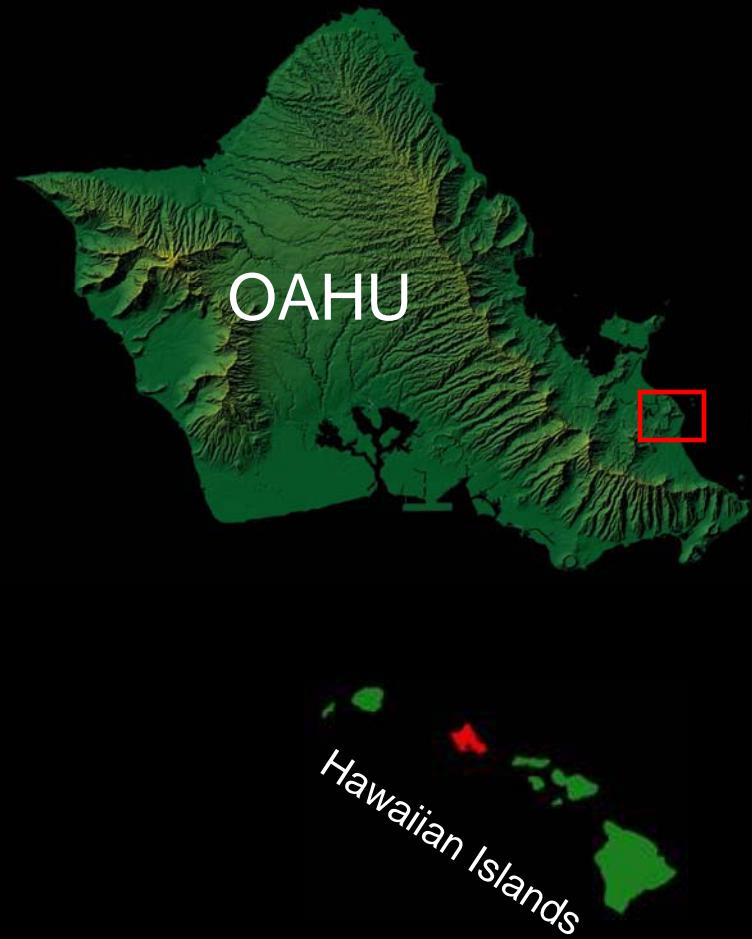


Where did Lanikai Beach go?: Applying sediment grain-size trend analysis (STA) to a chronically eroding beach.

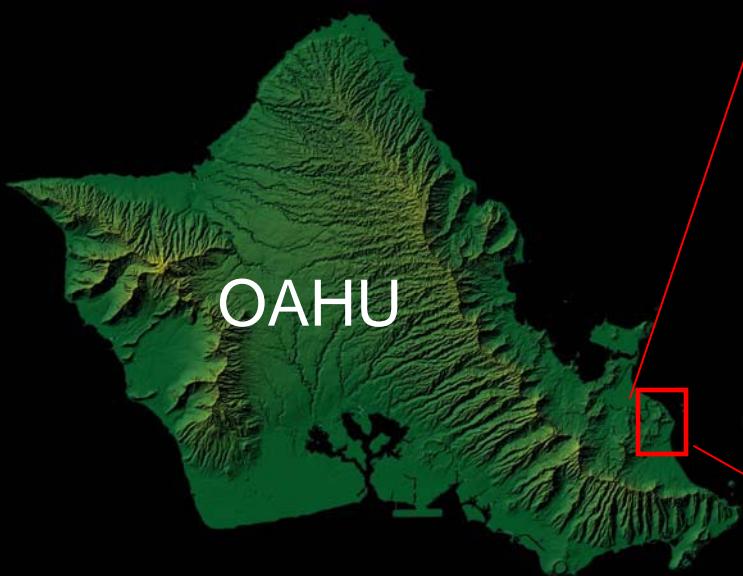
- Case Study:
 - STA never used for coastal erosion
 - Can STA give relevant insight into transport processes at an eroding beach?
- Approach:
 - Two methods of STA (Gao, Le Roux)
- Results:
 - Compatible results?
 - Predicted transport agree with historical observations?
- Conclusions:
 - Possible visualization of erosive processes

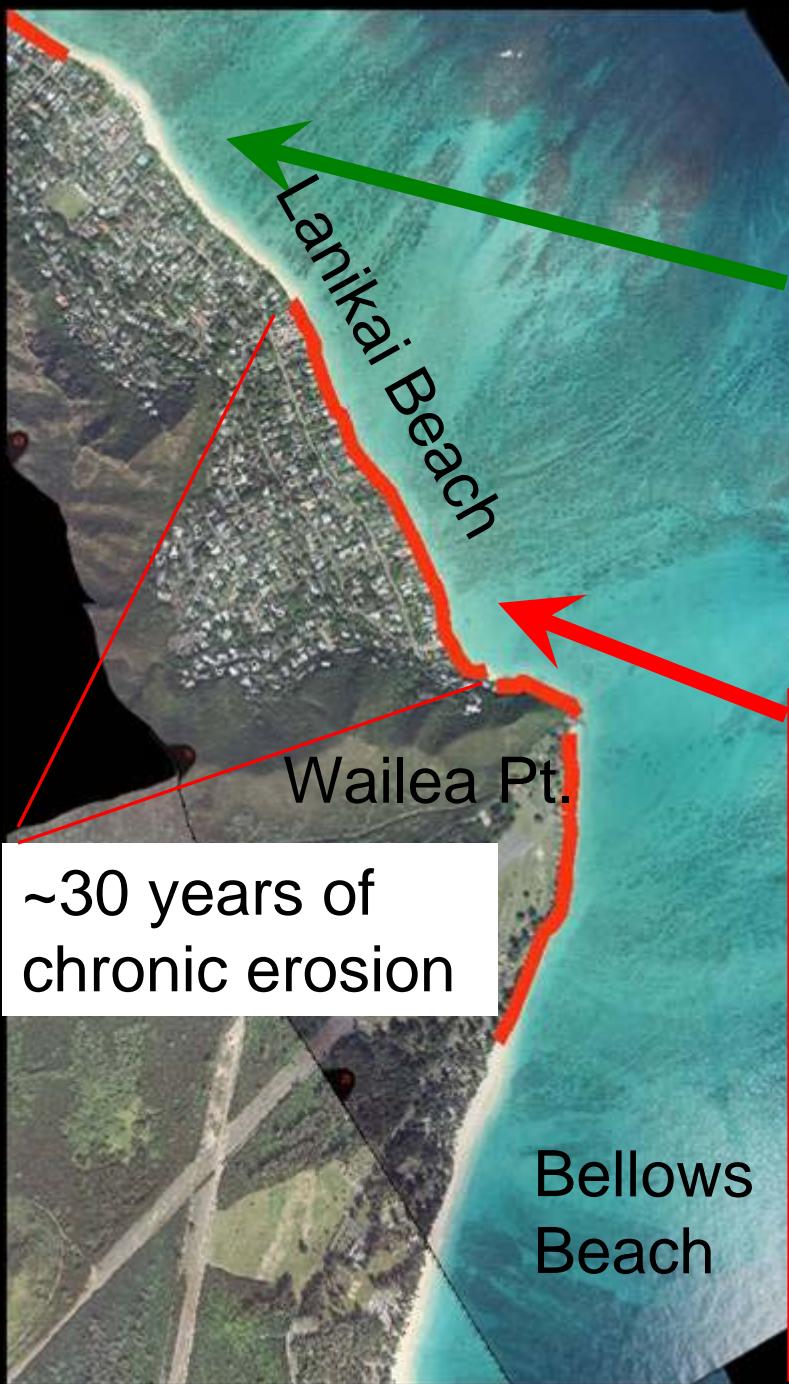


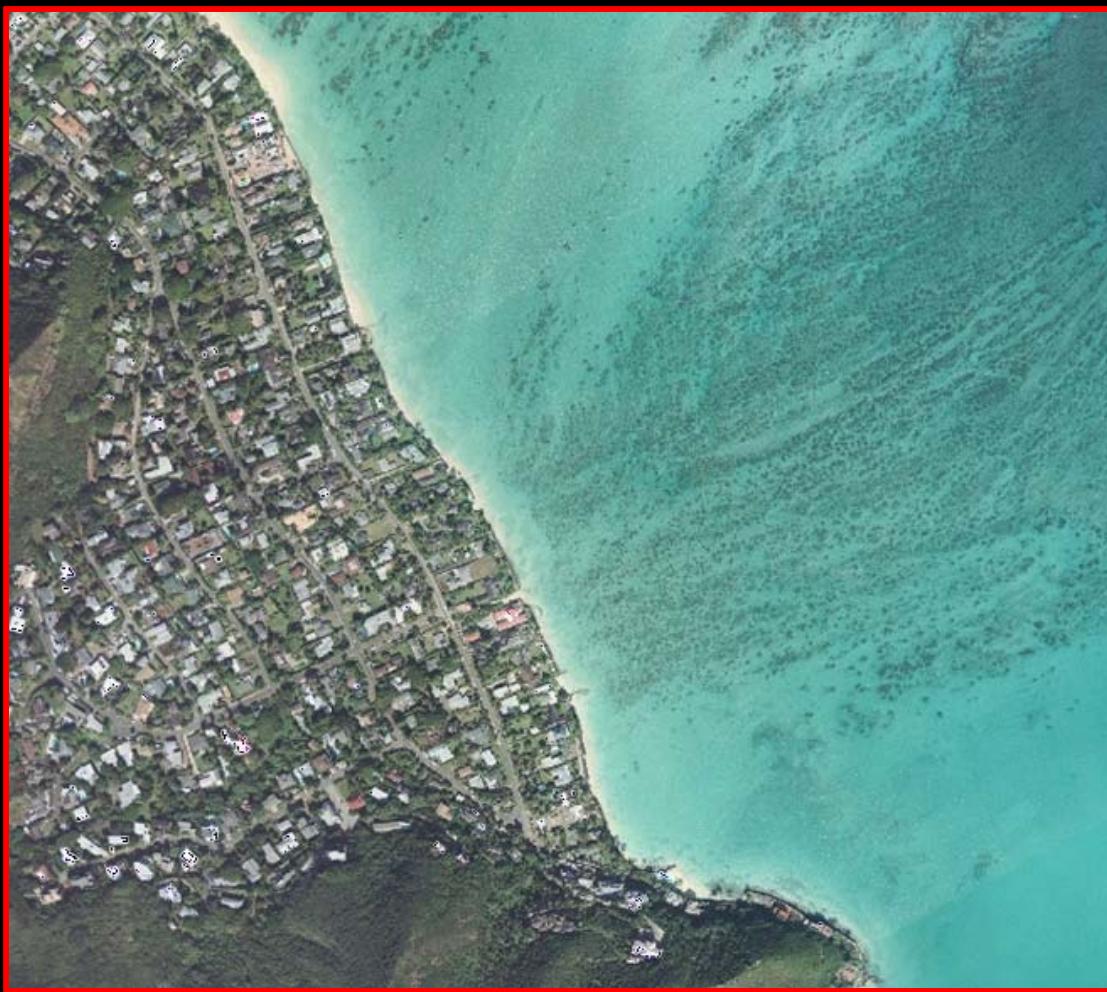
Lanikai Beach

Windward Oahu, Hawaii

- Embayed headland
- North: Kailua Beach
- South: Bellows Beach







On Going Debate: What caused the sudden accretion and erosion of Lanikai?

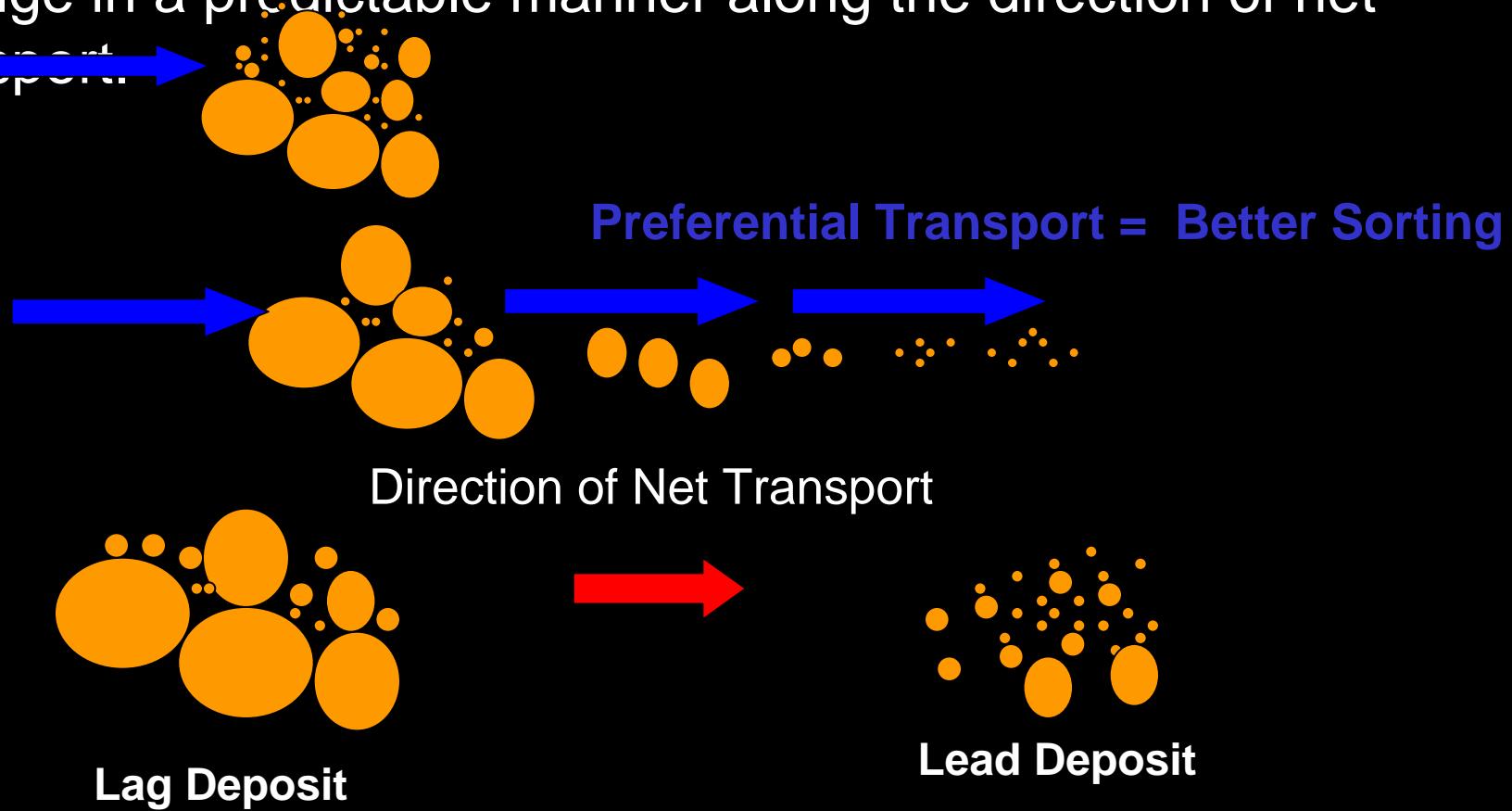
- Longshore transport direction poorly understood.
 - North to Kailua?
 - South to Bellows?
 - Offshore Sand Fields
- Drifter drogues no clear trend
- Two month ADV deployment: $> 0.10 \text{ m/s}$



Methodology: Sediment Grain-size Trend Analysis

Assumption:

Sediment will become better sorted in the direction of transport.
change in a predictable manner along the direction of net
transport.



1D STA Methodology (McLaren and Bowles, 1985)



MEAN SIZE: Finer

- I SORTING: Better
SKEWNESS: Negative

MEAN SIZE: Courser

- II SORTING: Better
SKEWNESS: Positive

Successive deposits



MEAN SIZE: Courser

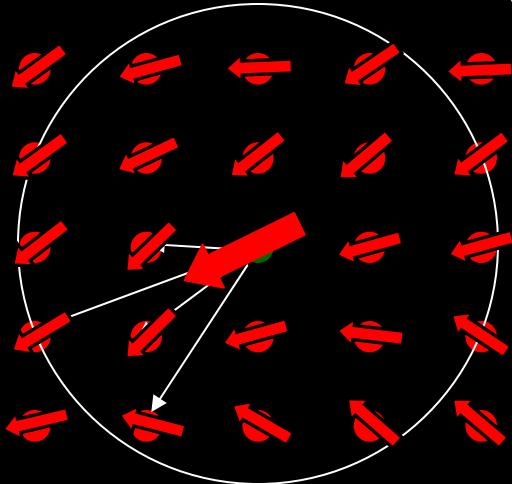
- III SORTING: Better
SKEWNESS: Negative

MEAN SIZE: Finer

- IV SORTING: Better
SKEWNESS: Positive
(Le Roux, 1994)

Summary of 2D Trend Analysis Methods:

Gao and Collins (1992)

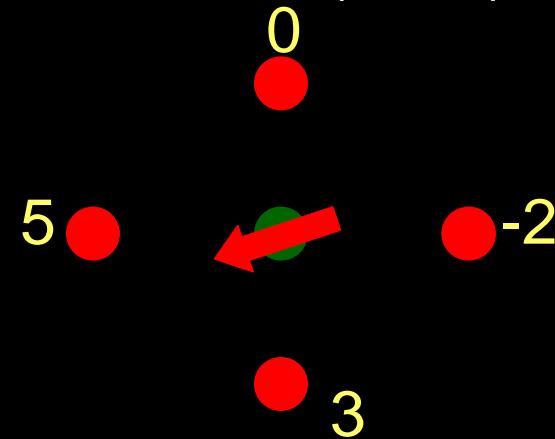


Looking for ALL trends:
Point-to-point search
within a radius

Sums positions of all matching
points for a discrete integer
unit vector

Vector magnitude from
number of matching points

Le Roux (1994)



Looking for EACH trend:
Compare grain parameters to
4 adjacent points

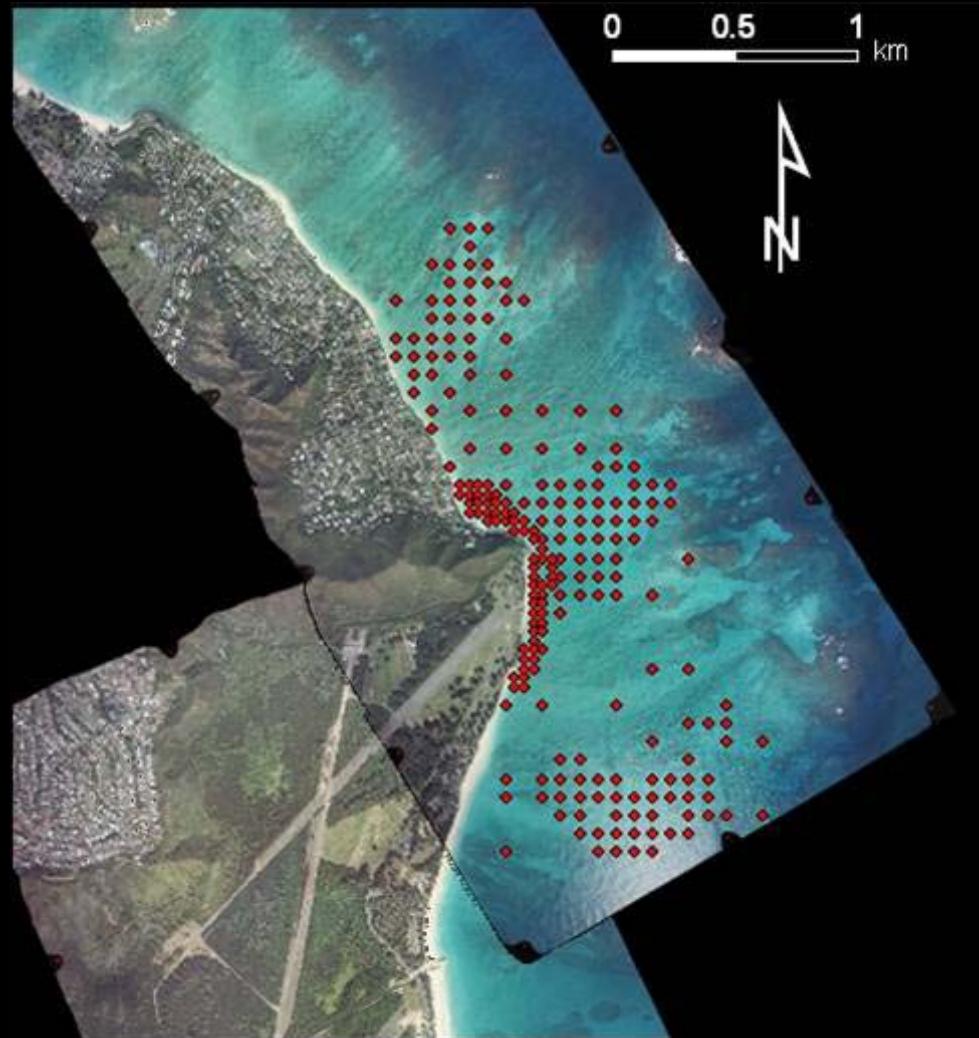
Normalization so that higher
values reflect trend direction

Relative difference in grain-
size parameters.

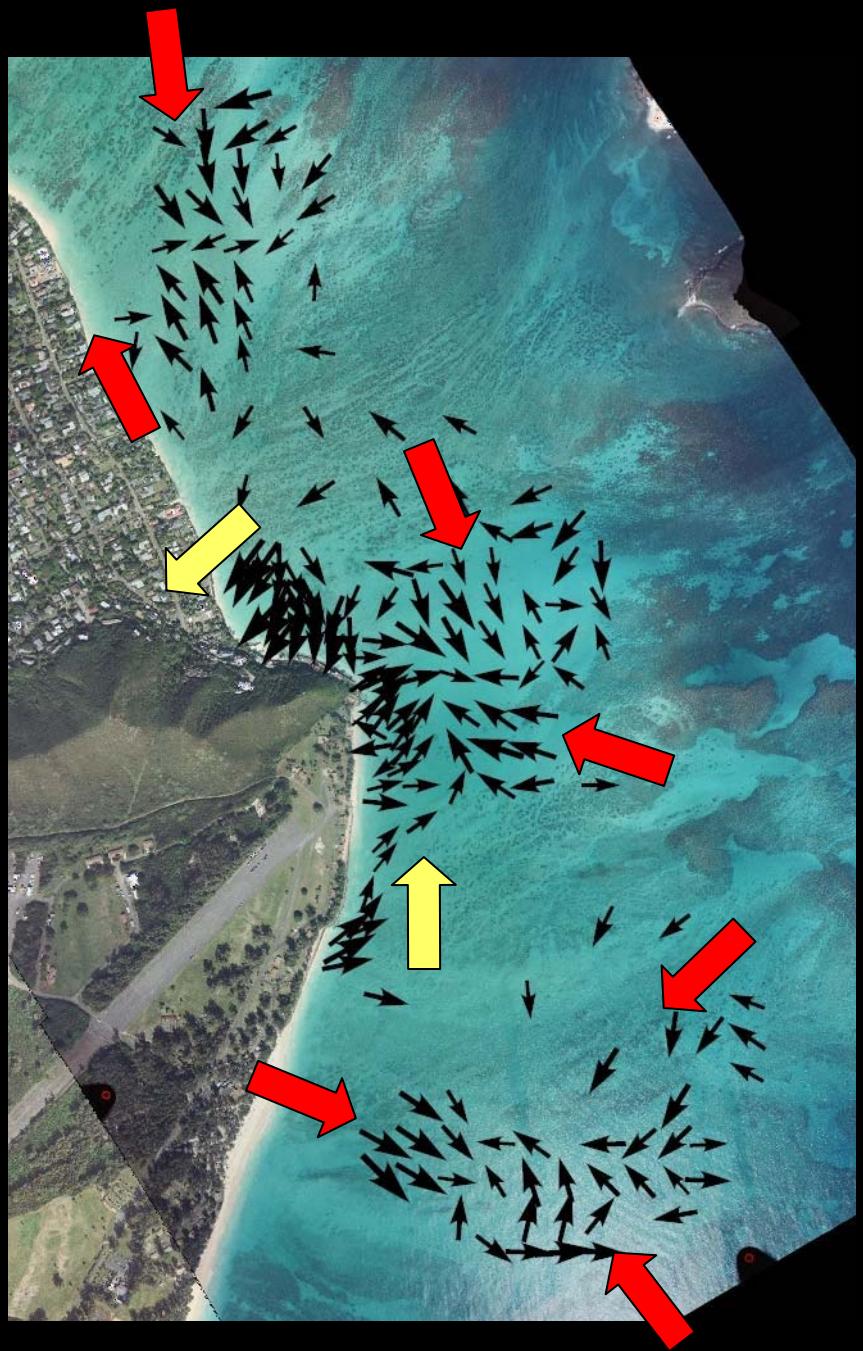
Sample Collection



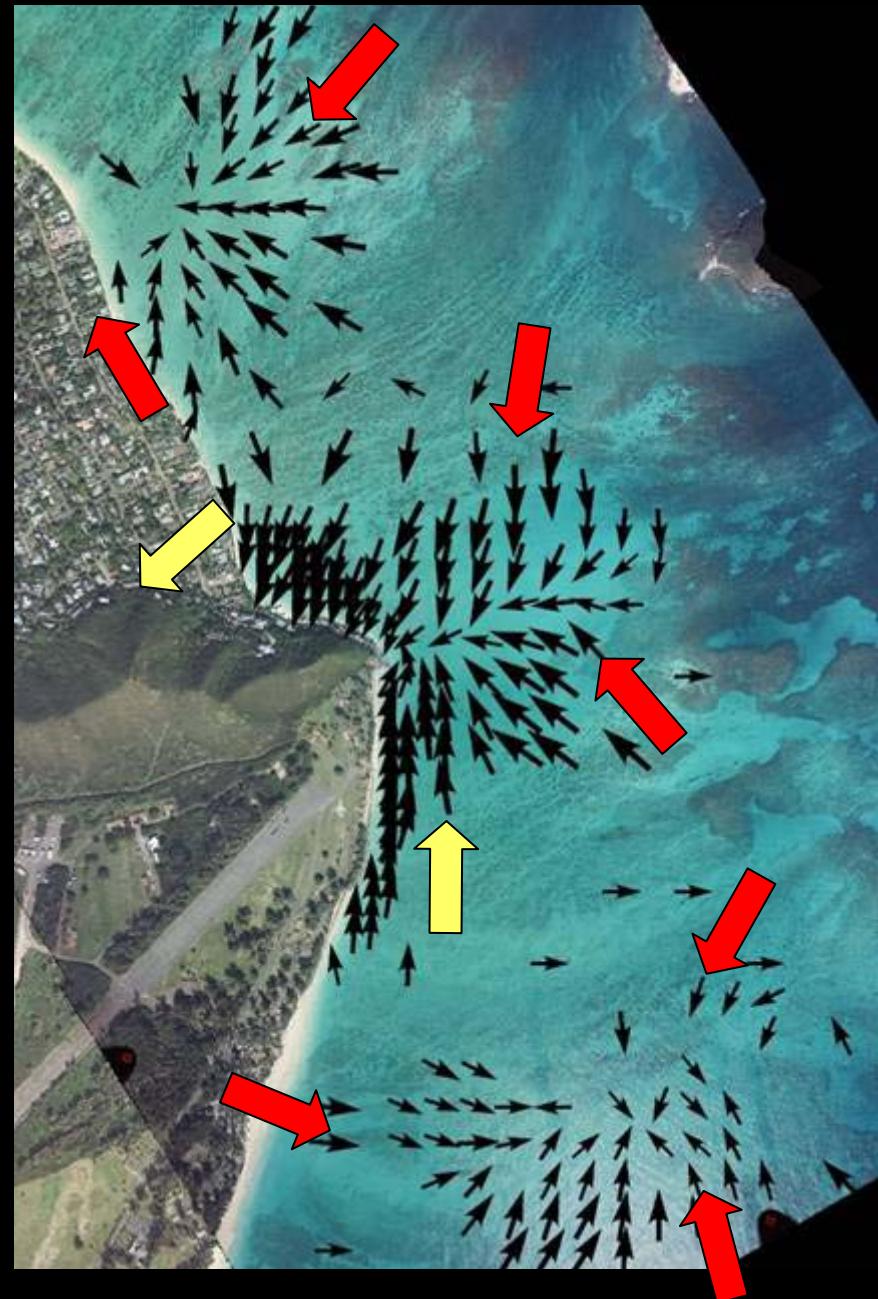
- 250 collected
- 214 Sieved
- Wet and dry sieving between Phi –2 and 5 (0.5 intervals)



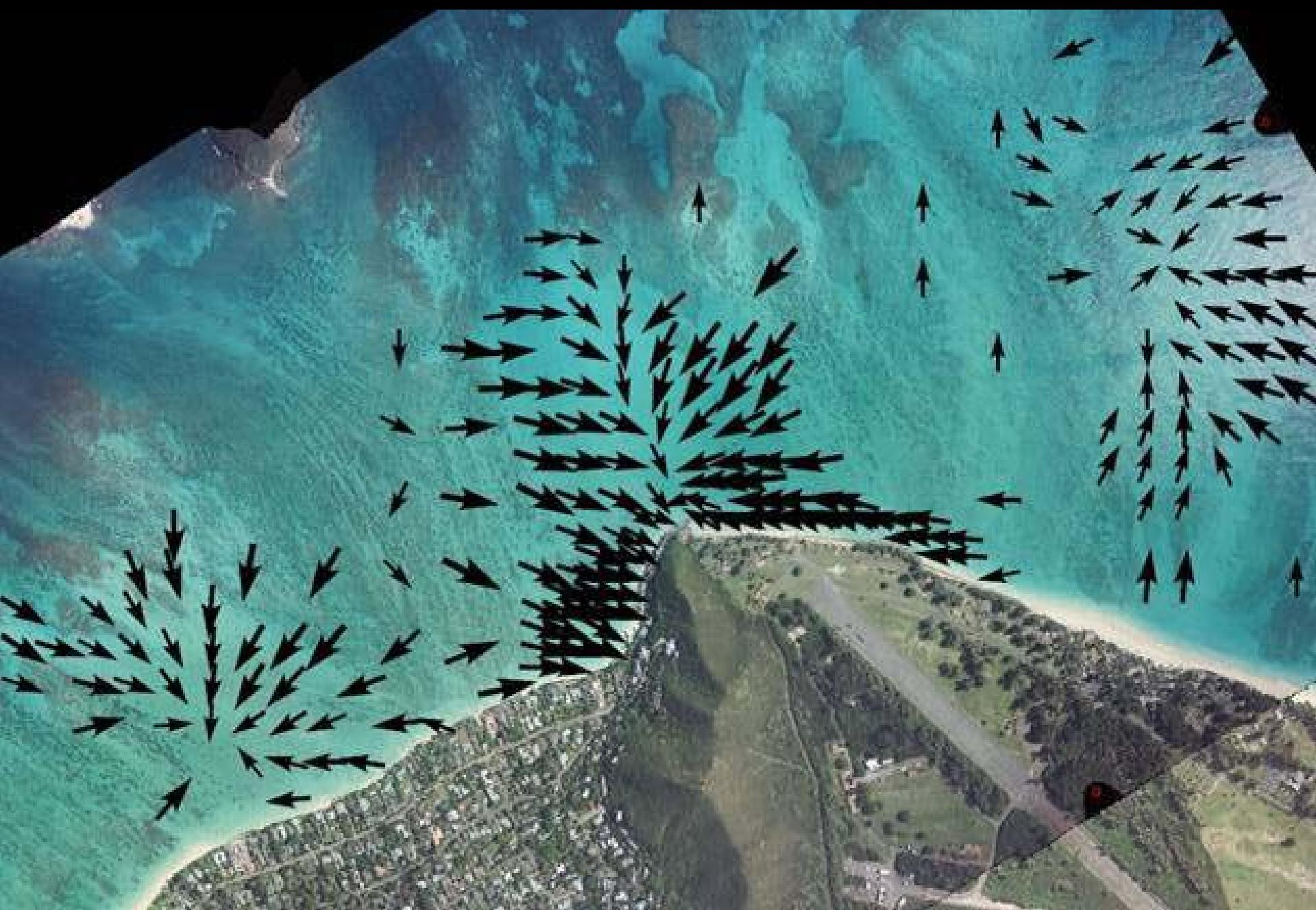
Roux Results



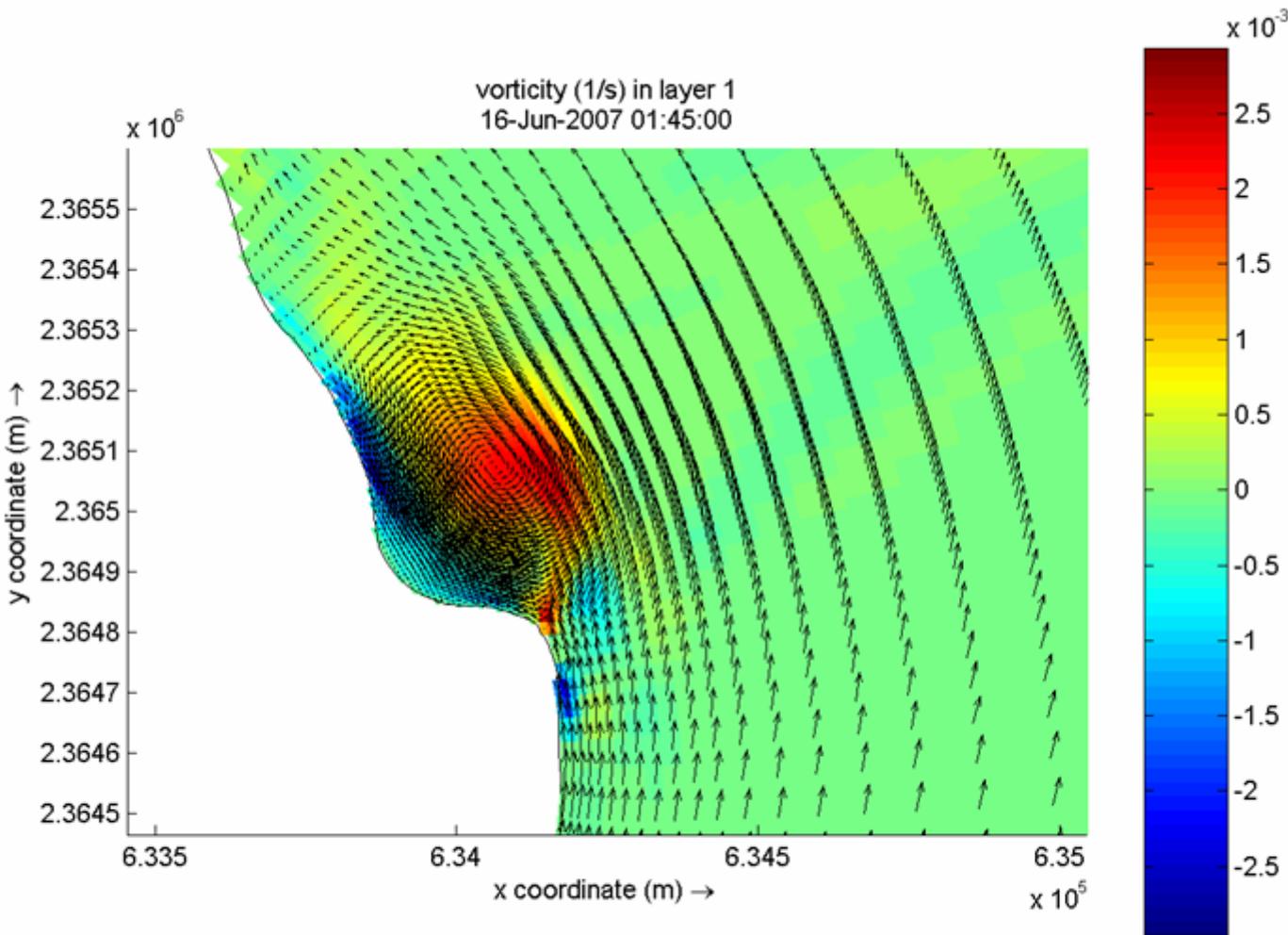
Gao Results



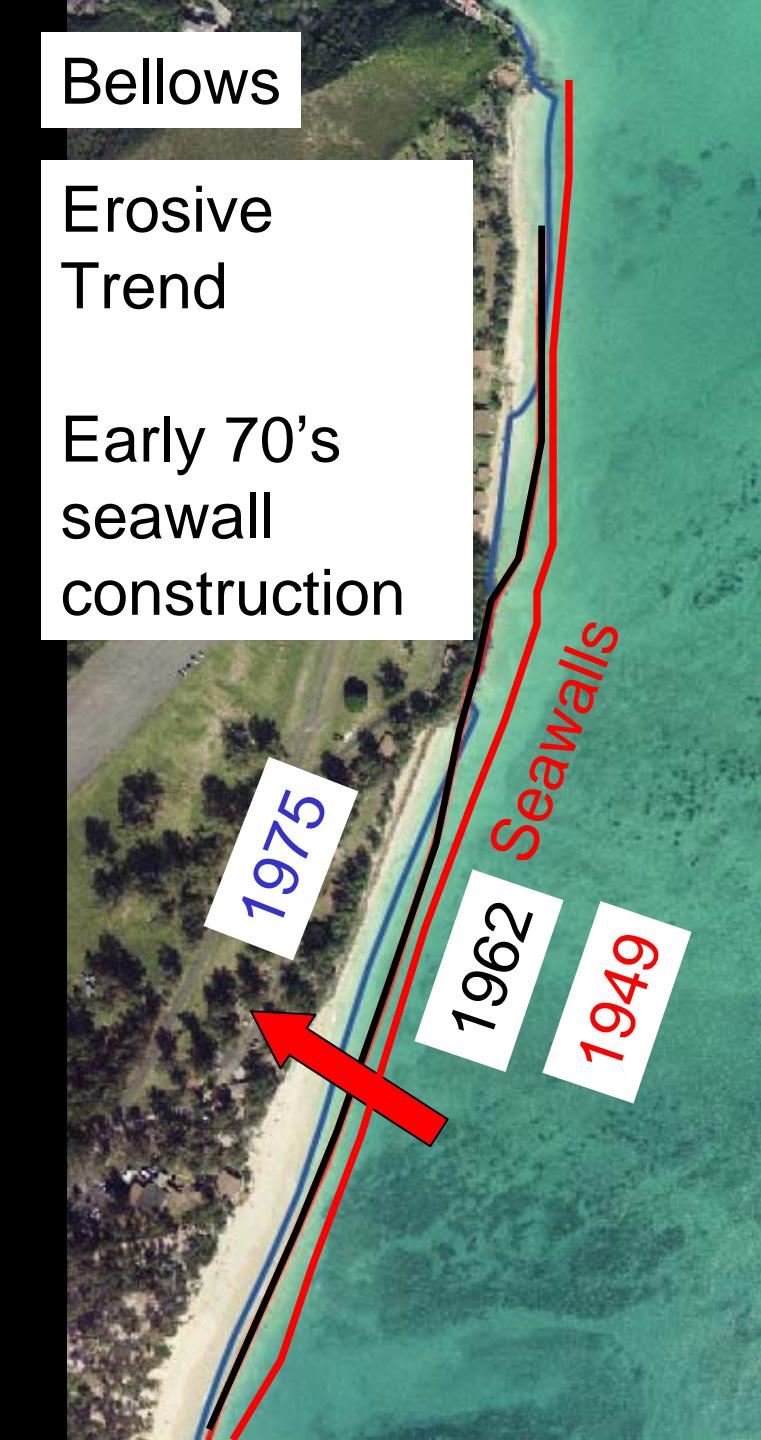
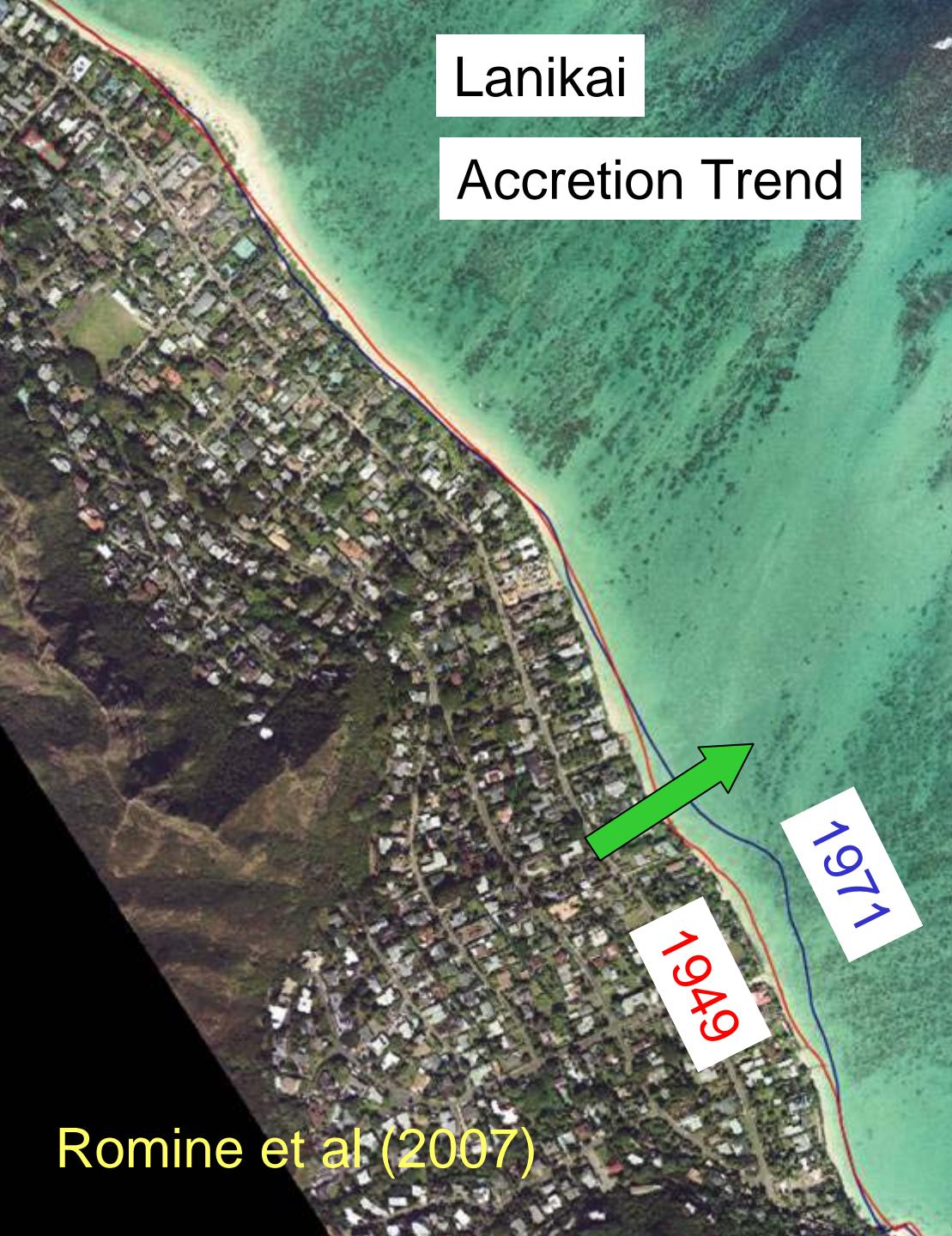
Gao Results



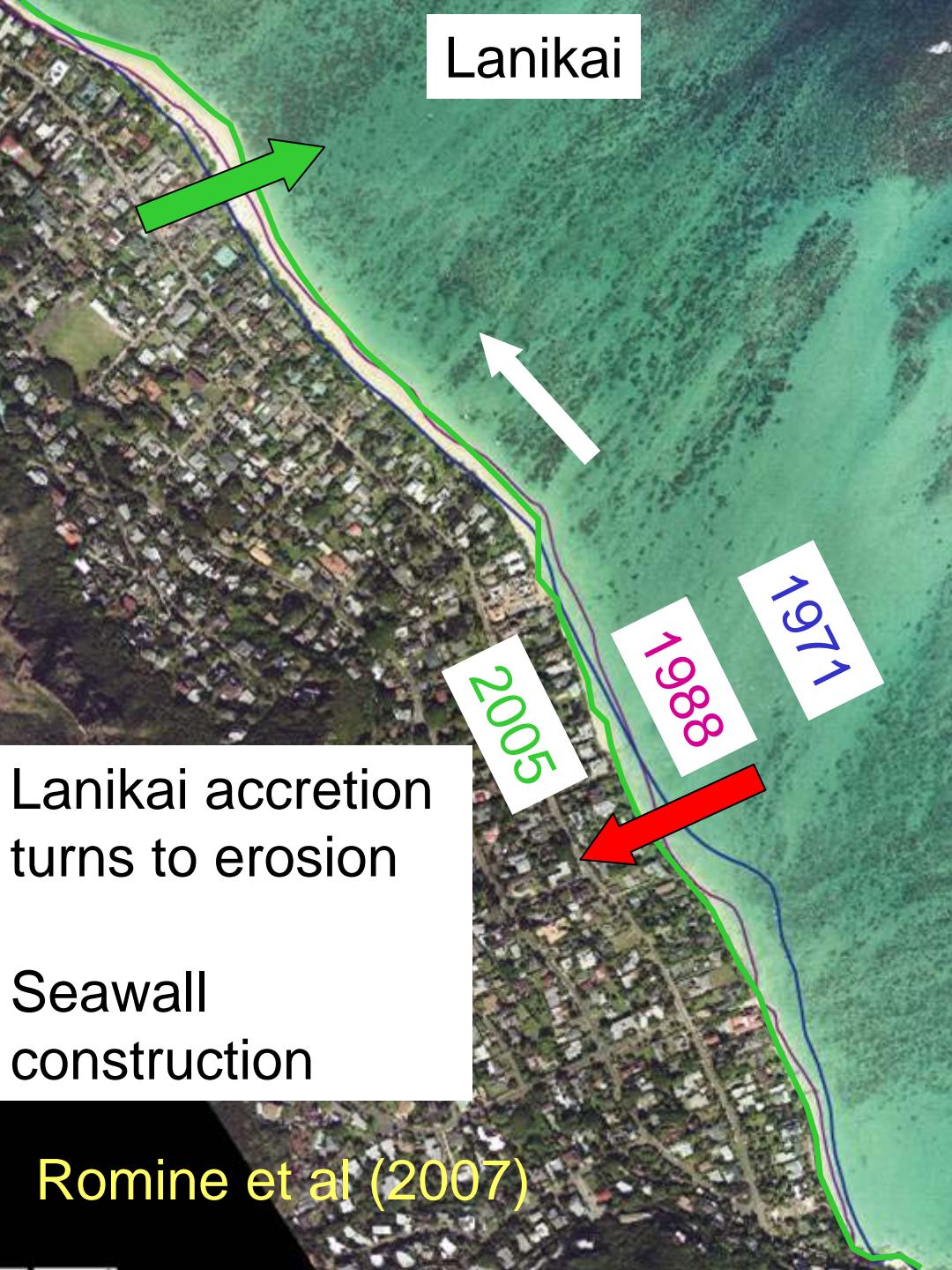
Interpretation



Delph3D Tidal Flux Vorticity (Sean Vitousek)



Lanikai



Bellows

Seawalls stop erosion



Historical Transport

1950 – 1975:
Accretion in Lanikai
Erosion in Bellows

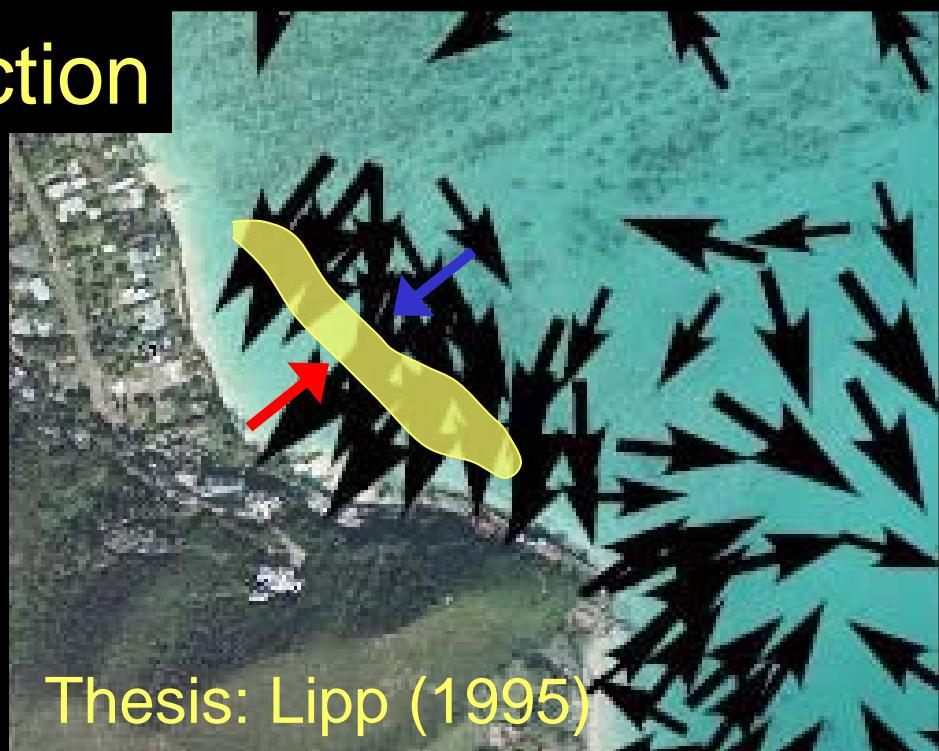
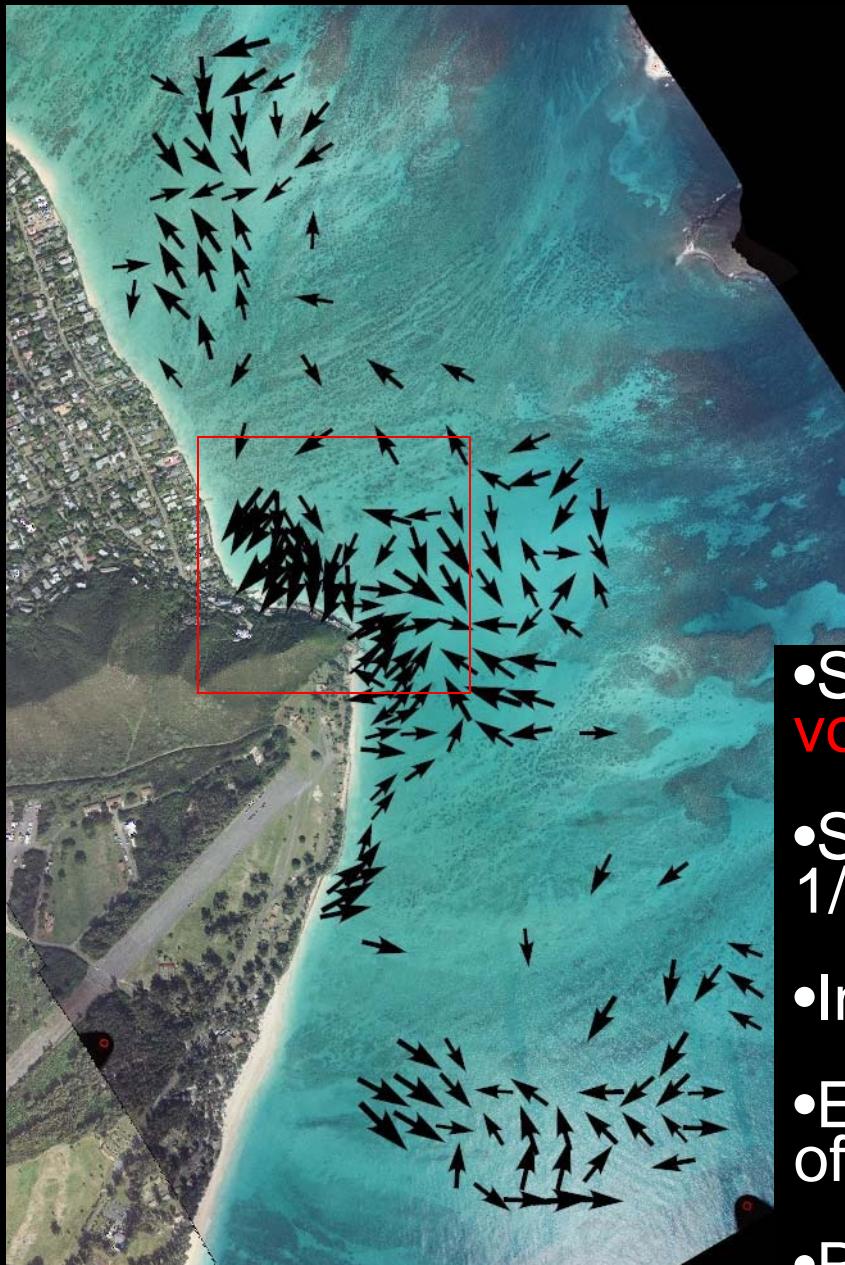
~1970 – current:
Bellows expands seawalls

1975 – current:
Heavy erosion of S. Lanikai
Slight accretion in N. Lanikai

Historical trends suggest
transport results are valid.



Stronger Seawall Reflection



Thesis: Lipp (1995)

- Sand bar has formed off Lanikai:
volume = 5000 m³
- Sand bar distance from shore = $1/2 * \text{mean annual wave length}$
- Incoming = reflected (wave energy)
- Enhanced seawall reflection & lack of sediment = sediment deficit
- Relict sedimentology of transport

Conclusion

Two methods (Roux and Gao):
similar results

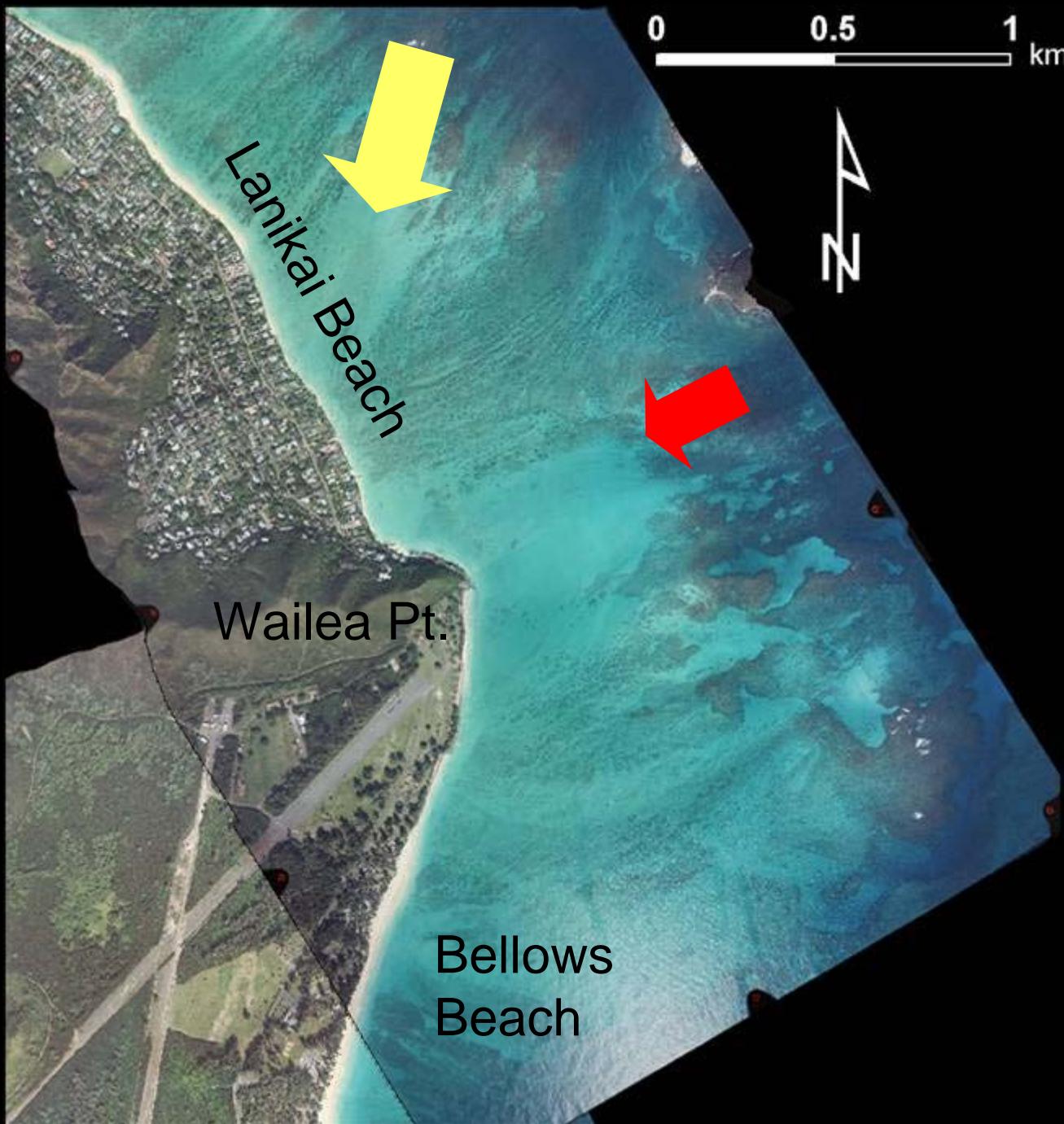
Visualize 2D littoral Transport:
Bellows sand feeding Lanikai
from the South

Historical and modern
Observation:
Support the STA results

Successful case study for the
application of STA in studying
instances of coastal erosion.



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Study Area

Primary Swell:
1.2 – 3 m
E – NE
90% Summer

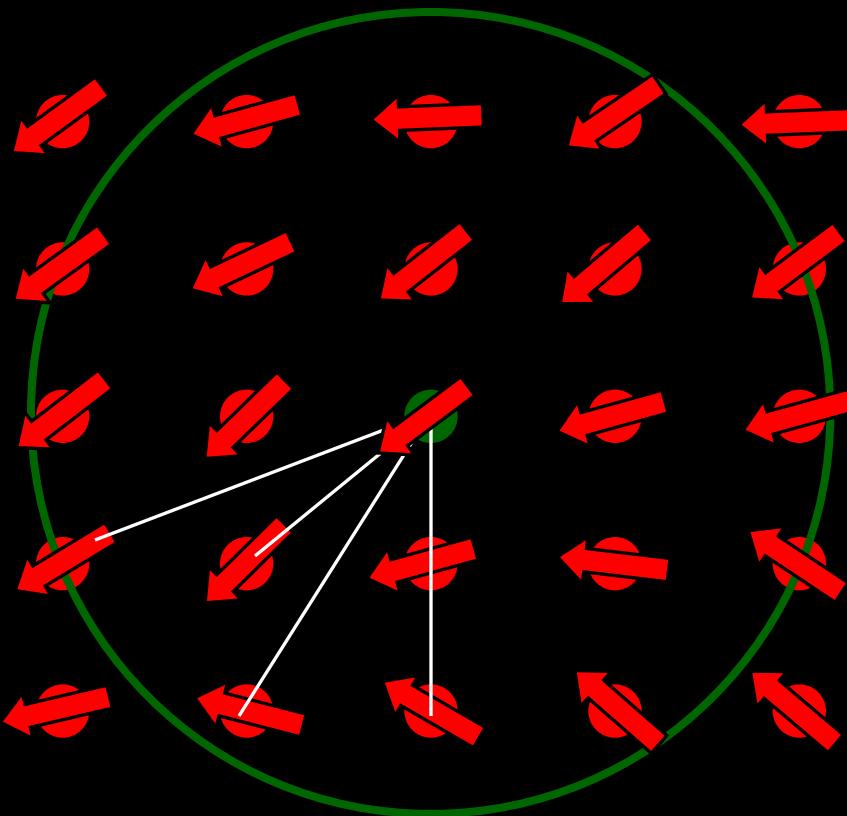
Secondary:
1.5 – 4.5 m
WNW – NNE
40% Winter

Tidal range:
Less than 1 m

Gao and Collins (1992)

- 2D approach
- Automated (Matlab)
- Search Radius

- 1) Points within a radius
- 2) Check for trend types
- 3) Sum valid unit vectors
- 4) Repeat for every point



$$R(x, y) = \sum r(x, y)_i$$

$r(x, y)_I$ = satellite point
 $R(x, y)$ = final vector

$$\begin{array}{r} \underline{r(x, y)} \\ 0, -2 \\ -1, -2 \\ -1, -1 \\ + -2, -1 \\ \hline R(-4, -6) \end{array}$$

Type 1

$$mn_1 < mn_2 \quad var_1 > var_2 \quad sk_1 > sk_2$$

$$mn_e = \left(33.33 - \left[\frac{33.33}{mn_{max} - mn_{min}} (mn - mn_{min}) \right] \right)$$

$$var_e = \frac{33.33}{var_{max} - var_{min}} (var - var_{min})$$

$$sk_e = \frac{33.33}{sk_{max} - sk_{min}} (sk - sk_{min})$$

Type 2

$$mn_1 > mn_2 \quad var_1 > var_2 \quad sk_1 < sk_2$$

$$mn_e = \frac{33.33}{mn_{max} - mn_{min}} (mn - mn_{min})$$

$$var_e = \frac{33.33}{var_{max} - var_{min}} (var - var_{min})$$

$$sk_e = \left(33.33 - \left[\frac{33.33}{sk_{max} - sk_{min}} (sk - sk_{min}) \right] \right)$$

Type 3

$$mn_1 > mn_2 \quad var_1 > var_2 \quad sk_1 > sk_2$$

$$mn_e = \frac{33.33}{mn_{max} - mn_{min}} (mn - mn_{min})$$

$$var_e = \frac{33.33}{var_{max} - var_{min}} (var - var_{min})$$

$$sk_e = \frac{33.33}{sk_{max} - sk_{min}} (sk - sk_{min})$$

Type 4

$$mn_1 < mn_2 \quad var_1 > var_2 \quad sk_1 < sk_2$$

$$mn_e = \frac{33.33}{mn_{max} - mn_{min}} (mn - mn_{min})$$

$$var_e = \left(33.33 - \left[\frac{33.33}{var_{max} - var_{min}} (var - var_{min}) \right] \right)$$

$$sk_e = \frac{33.33}{sk_{max} - sk_{min}} (sk - sk_{min})$$

raw parameters

0 mn 2.50
var 2.00
sk 0.00

1 mn 3.65
var 1.25
sk -0.37

2 mn 2.57
var 1.95
sk -0.02

3 mn 1.09
var 2.94
sk 0.47

4 mn 2.75
var 1.83
sk -0.08

relative values

0 mn 14.791
var 14.972
sk 14.681

1 mn 0.00
var 0.00
sk 0.00

2 mn 14.061
var 13.805
sk 13.888

3 mn 33.33
var 33.33
sk 33.33

4 mn 11.718
var 11.439
sk 11.507

$$mn_e = \left(33.33 - \left[\frac{33.33}{mn_{max} - mn_{min}} (mn - mn_{min}) \right] \right)$$

$$var_e = \frac{33.33}{var_{max} - var_{min}} (var - var_{min})$$

$$sk_e = \frac{33.33}{sk_{max} - sk_{min}} (sk - sk_{min})$$



mn 2.573
var 2.512
sk 2.475

1

mn 5.394
var 5.018
sk 5.262

4

0 mn 14.791
var 14.972
sk 14.681

2 mn 24.659
var 24.176
sk 24.844

3

mn 31.931
var 31.931
sk 31.931

7.6

1

15.7

4

0

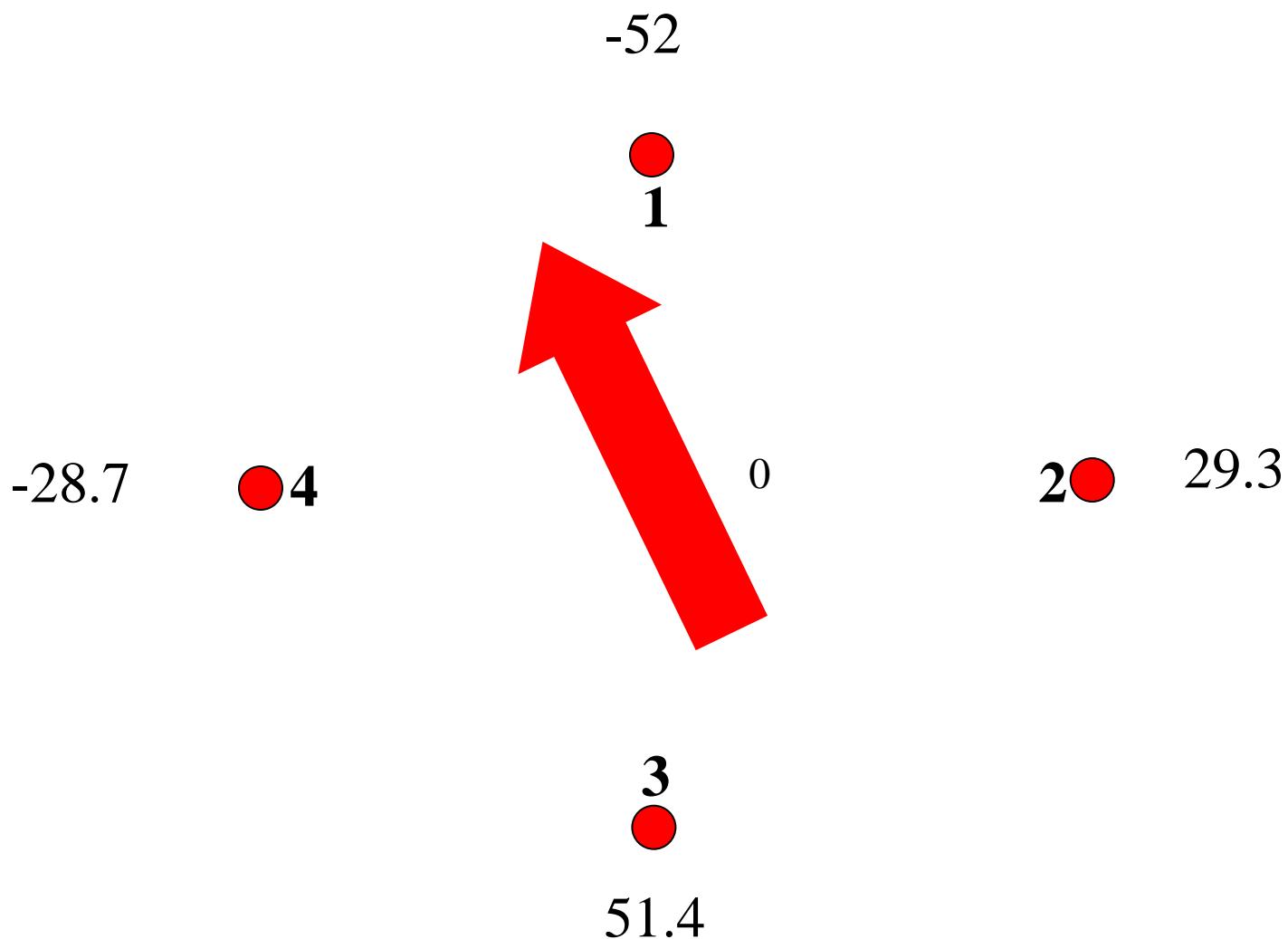
44.4

2

73.7

3

95.8



$$\text{Magnitude} = \sqrt{\left[\sum (f \sin \phi) \right]^2 + \left[\sum (f \cos \phi) \right]^2} + 1 - \frac{1}{\sqrt{2} \sin(45 + \text{vec mean})}$$